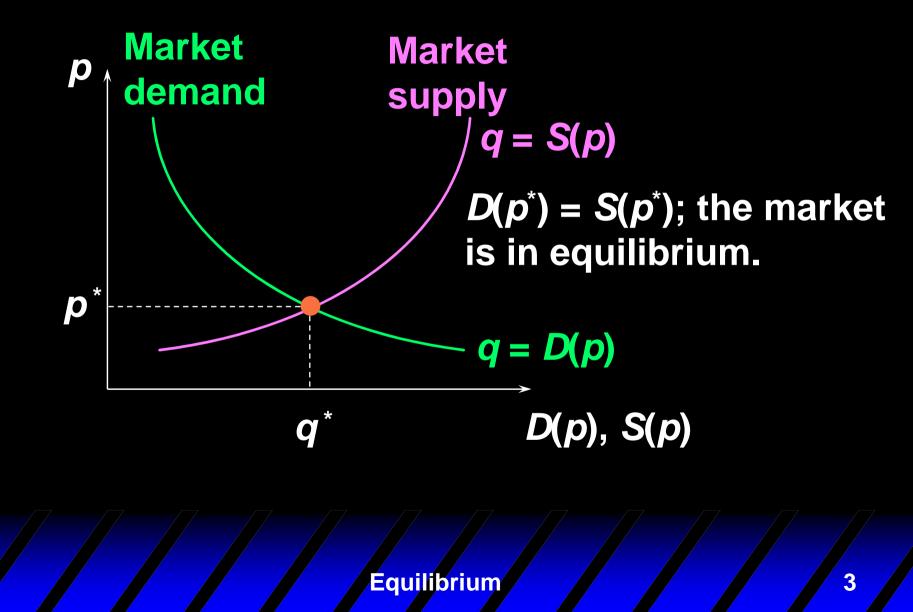
Microeconomics

Lecture 1

 A market is in equilibrium when total quantity demanded by buyers equals total quantity supplied by sellers.

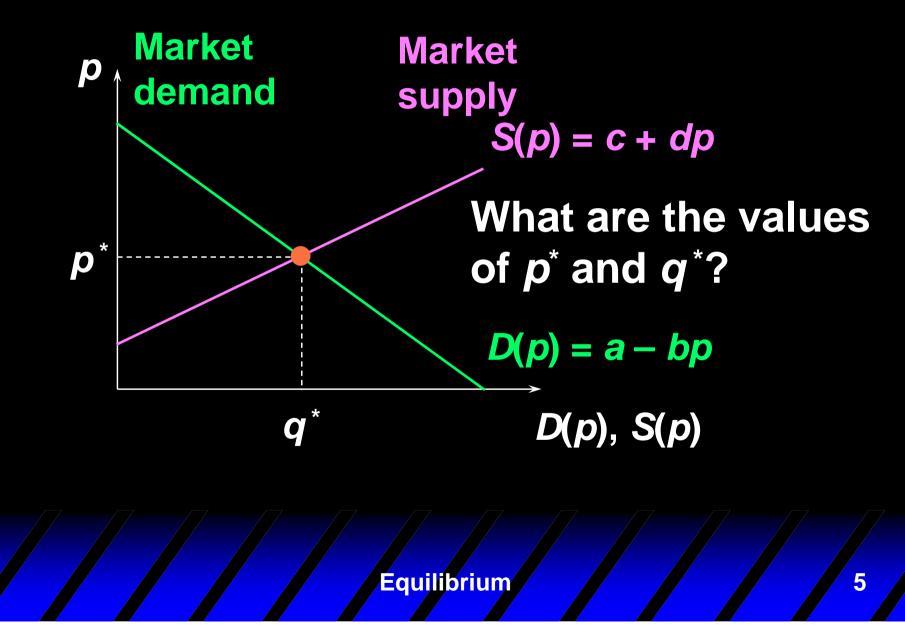
Equilibrium



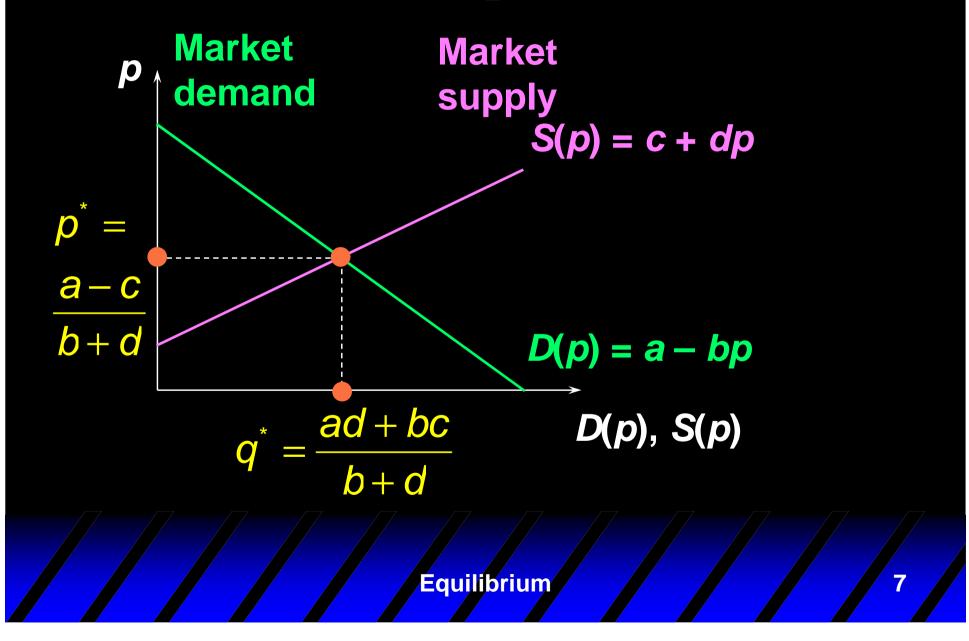
 An example of calculating a market equilibrium when the market demand and supply curves are linear.

D(p) = a - bpS(p) = c + dp

Equilibrium



Market Equilibrium D(p) = a - bpS(p) = c + dpAt the equilibrium price p^* , $D(p^*) = S(p^*)$. That is, $a - bp^* = c + dp^*$ which gives $=rac{a-c}{b+d}$ р and $q^* = D(p^*) = S(p^*) = \frac{ad+bc}{bc}$ b + d Equilibrium 6



 Can we calculate the market equilibrium using the inverse market demand and supply curves?

Yes, it is the same calculation.

$$q = D(p) = a - bp \Leftrightarrow p = \frac{a - q}{b} = D^{-1}(q),$$

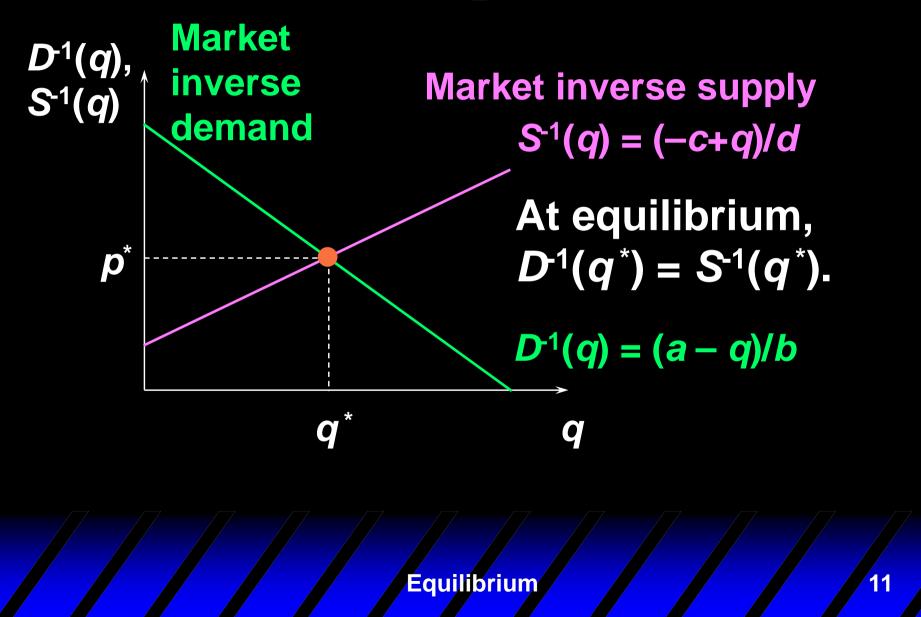
the equation of the inverse market demand curve.

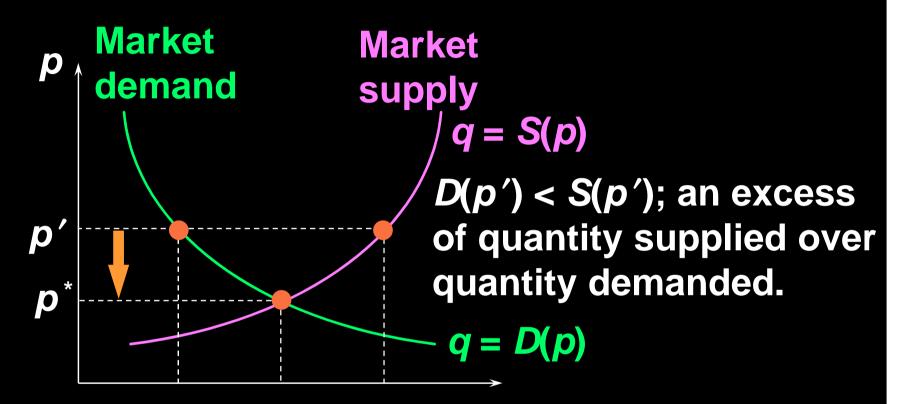
$$q = S(p) = c + dp \Leftrightarrow p = \frac{-c + q}{d} = S^{-1}(q),$$

the equation of the inverse market
supply curve.

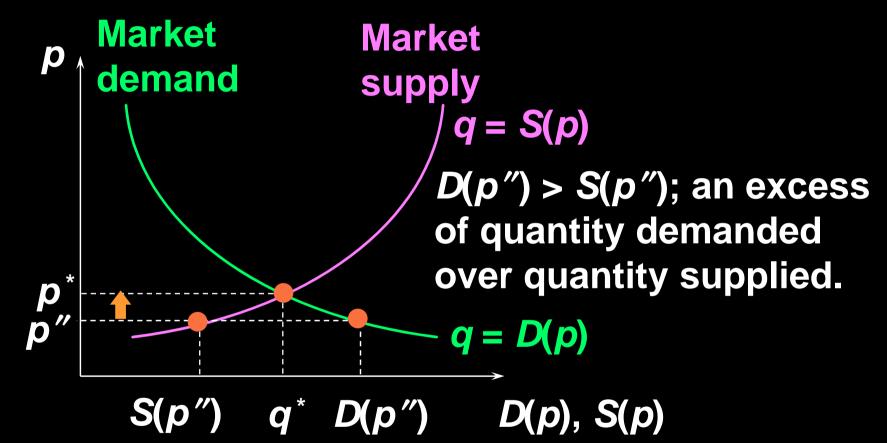
Equilibrium

 $p = D^{-1}(q) = \frac{a-q}{b}$ and $p = S^{-1}(q) = \frac{-c+q}{d}$ At the equilibrium quantity q^* , $D^{-1}(p^*) = S^{-1}(p^*)$. That is, $a-q^{-}-c+q$ b \mathbf{O} which gives $q^* = \frac{ad + bc}{b+d}$ and $p^* = D^{-1}(q^*) = S^{-1}(q^*) = \frac{a-c}{b+d}$ Equilibrium 10





 $D(p') \quad q^* \quad S(p') \quad D(p), \quad S(p)$ Market price must fall towards p^* .



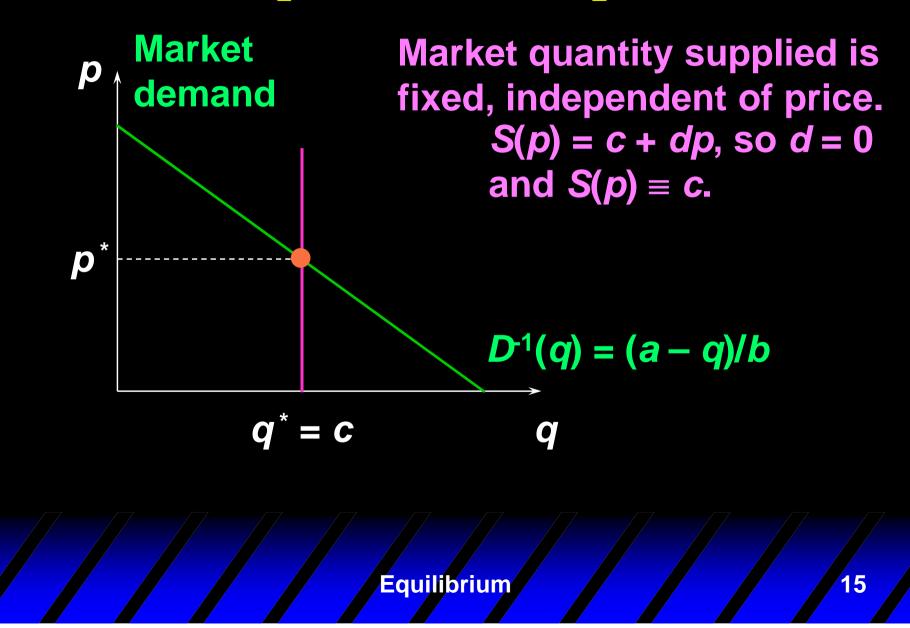
Market price must rise towards p^* .

Market Equilibrium – two special cases

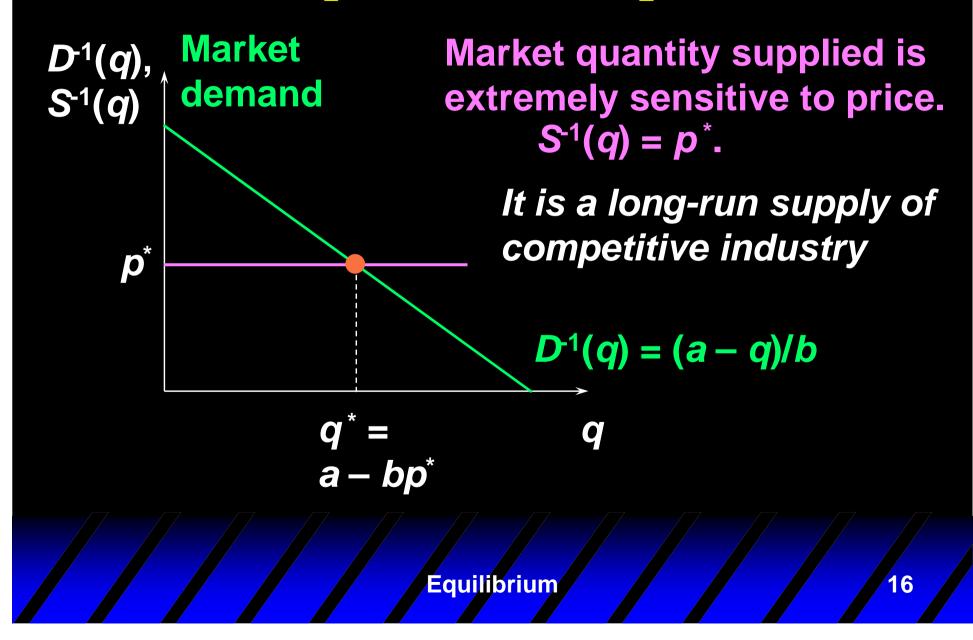
•when quantity supplied is fixed, independent of the market price

 when quantity supplied is extremely sensitive to the market price (long-run supply of competitive industry)

Market Equilibrium – special case



Market Equilibrium – special case



Market equilibrium - monopoly

